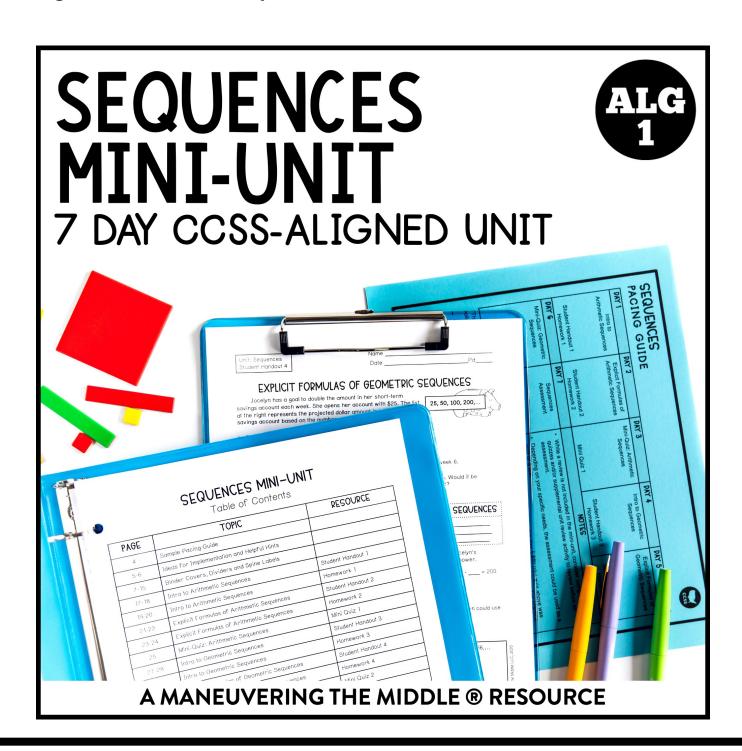
learning focus:

- recognize that sequences are functions
- create a graph to represent an arithmetic sequence
- write explicit and recursive formulas for geometric sequences





a 7 day CCSS-aligned unit CCSS: F.IF.3, F.BF.2, F.LE.2

ready-to-go, scaffolded student materials

SEQUENCES MINI-UNIT

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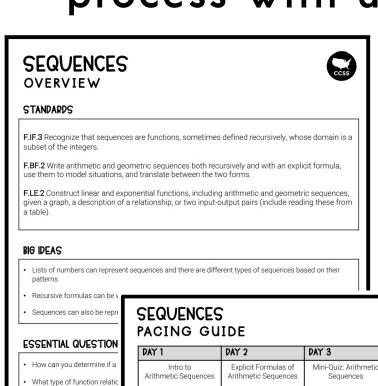
student friendly + real-world application

| Unit: Sequences Student Handout 1 | Name Date | Pd | | scaffo | lded |
|--|---|-----------------------------|--|--|---|
| INTRO TO ARITI Marco is building towers out of dominos. dominos to use at each level, as shown below. levels 1-3 and answer a-c. | | | for | conce | pts |
| a. Write the number of dominos used at ea b. Describe the pattern Marco is using to de number of dominos needed at each level. c. Complete the table for level 4 and sketch should build. The number of dominos at each level form number in the sequence is called a using either notation or SUBSCRIPT NOTATION an is the term; n is the Using the domino example, answer question 1. What are the first three terms in the | 4. Determine if each sequence in thable is arithmetic. If so, record the common difference. 5. Explain how you could find future terms in the arithmetic sequences. 6. If a _n represents a term, how coully you represent the term before a _n ? One of the ways to represent an arithmetic sequence is by using a formula. A recursive formula will define a starting term, as well as a process for finding the n th term of the sequence using the previous term. Label the parts | a. 3, 3, b. {£ c. 3, d. {1} | | Name Date TO ARITHMETIC SEC | |
| sequence? a ₁ = a ₂ = a ₃ = 3. Without sketching a model, could you fin An sequence is a ty described below. ARITHMETIC SEQUENCE • A sequence where the constant. • This constant differ Is the domino sequence an arithmetic sequence. | of the formulas shown. A recursive formula for an arithme In your own words, describe what the first five terms of the sequence. For 7-10, use your knowledge of site of the sequence is generated a using $a_n = a_{n-1} + 7$ where | he f | A. 12, 8, 4, 0, -4, 19, 26, 30, 33, 1. Which sequence(s) are NOT arithmetic? | C. {30, 38, 46, 54,} | E. 81, 85, 89, 93, 97, F. (5, 20, 80, 320,) 3. Find a ₅ for sequence C. |
| | 10. The recursive formula for a se where f(1) = 2. a. List the first four terms of the b. Create a graph of the arithmeti represent the term number, n, c term, f(n). Describe the type of c. What is the domain of the func | seq ic se and `rek | | 5. Which sequence has a negative value for the common difference? ances to answer questions 7-10. $a_{11} = a_{11} = a_{11} = a_{11} = a_{11} = a_{11}$ 8. The recurs | 6. If $a_n = a_{n-1} + d$ represents sequence C, what is the value of d? |
| kill applic | ation | 7 | /. A sequence is generated us where $a_1 = 62$. Write the first the sequence. | five terms of shown below. | Sive formula of a sequence is . What is the value of a_4 ? $a_1 = 16; a_n = a_{n-1} + 6$ $ 6 \text{Maneuvering the Middle LLC, 2020} $ |



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streamline your planning process with unit overviews





√ vertical alignment



DAY 5

Explicit Formulas of

Geometric Sequences

sample pacing calendar

| Arithmetic Sequences | Explicit Formulas of Arithmetic Sequences | |
|-----------------------------------|--|--|
| Student Handout 1 Homework 1 | Student Handout 2 Homework 2 | |
| DAY 6 | DAY 7 | |
| Mini-Quiz: Geometric Sequences | Sequences Assessment | |
| Mini Quiz 2 | Assessment | |

following as examples where individual adjustments

For teachers and/or districts who include arithmeti included within the other unit.

For teachers and/or districts who include geometri

· In each scenario above, specific questions from th

included within the other unit

SEQUENCES OVERVIEW

DAY 4

Intro to Geometric

Sequences



| TOPIC | TEACHING TIPS | | |
|----------------------|--|--|--|
| Sequences | Many aspects of sequence notation will be new for students, so it may be helpful to build in time to teach students how to "read" the math. For example, "a," is read aloud as "a sub n," etc. | | |
| Arithmetic Sequences | Students can use alliteration to remember that generating terms in an arithmetic sequence involves adding a constant value between consecutive terms (even if the value added is a negative value). Students can compare arithmetic sequences and their attributes to linear functions and relationships. As you work through examples, highlight that the domain of sequence functions will be integer numbers greater than or equal to 1. Therefore, sequences are a type of discrete linear functions. | | |
| Geometric Sequences | Students can compare geometric sequences and their attributes to exponential functions and relationships. It may be helpful to note, though, that sequences represent discrete functions while many exponential relationships are continuous. Discuss how this impacts the domain of sequence functions as compared to continuous exponential functions. If comparing geometric sequences to exponential functions, it may be helpful to point out that the common ratio in a geometric sequence can be negative unlike exponential functions. As an extension, consider visiting this site (or another similar site) to allow students to visualize the graph of a geometric sequence with a penative common ratio and commence it to the graph of an exponential function. | | |

teaching ideas

When is it advantageous to limitations?

When is it advantageous to

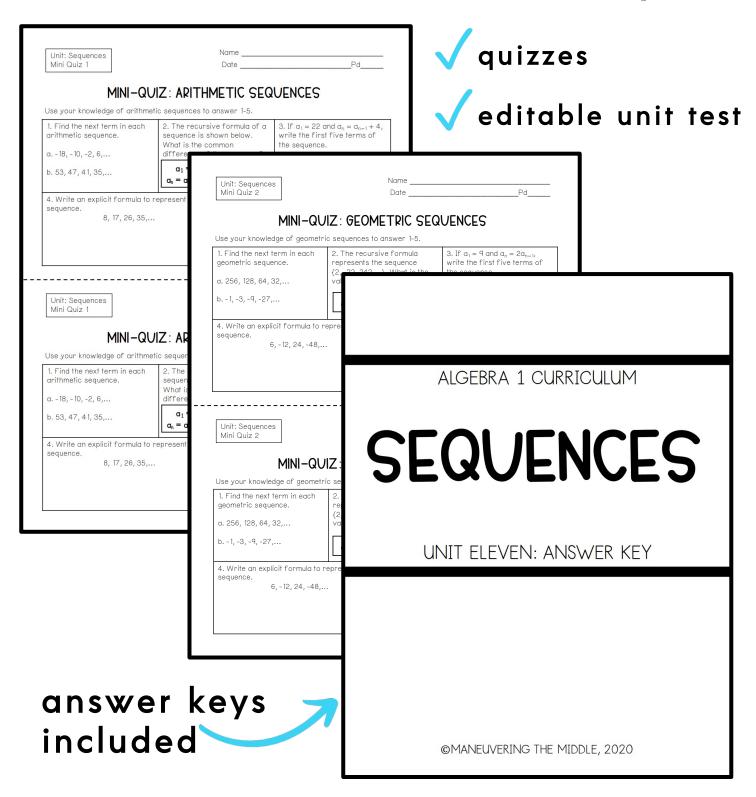
As an extension, consider visiting this site (or another similar site) to allow students to visualize the graph of a geometric sequence with a negative common ratio and compare it to the graph of an exponential function https://demonstrations.wolfram.com/PlotofAGeometricSequenceAndItsPartialSums/

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assessments + answer key



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